

9 Make a table to sketch the graph of f(x) by hand. Then use the graph of f(x) to sketch the graph of g(x) & find any asymptotes of the graphs.

12 **ALGEBRAICALLY solve** the equation for "x".

 $\log_3(x+2) = 2$

log₁₄ 10 $f(x) = 2^x - 3$ $g(x) = \log_2(x+3)$ 14 ALGEBRAICALLY solve the equation for "x" & verify your result(s). $\log(x^2 + 11) - \log(x + 3) = \log 6$ 10 You deposit \$400 in an account that pays 5% annual interest. How long will it take for the balance to double for each frequency of compounding? annually: a. b. *quarterly*: **15** Solve for *x* in the equation $9^{4x-5} = 243^{x+4}$. daily: c. *continuously*: d. 11 **ALGEBRAICALLY solve** the equation for "x". **EXPAND the expression** using the properties of $5^{x-3} + 7 = 632$ logarithms. $f(x) = \log \frac{b^{10} n^{14}}{f^{93}}$

13 Use the change of base formula to **rewrite the**

logarithm in base 93.

17 **CONDENSE the expression** using the properties of logarithms.

 $f(x) = 5\log_{19} m + 17\log_{19} j - 91\log_{19} f$

18 Use $\log_3 4 \approx 1.262$ and $\log_3 5 \approx 1.465$ to evaluate each logarithm.

- $\log_3 \frac{4}{5}$ a.
- $\log_3 20$ b.
- $\log_{3} 100$ c.

19 Use Newton's Law of Cooling,

 $T = (T_0 - T_R)e^{-rt} + T_R$

to answer the question below:

Your sister is cooking her famous chili. When she takes it off of the stove, its temperature is 212°F. The room temperature is 75°F, and the cooling rate of the chili is r = 0.051. How long will it take to cool the chili to a serving temperature of 95°F?

20 Write an exponential function $y = ab^x$ whose graph passes through (1, 10) and (3, 40).

21 The table shows the height *h* (in feet) of a tree at specific ages t (in years). Use a graphing calculator to find a logarithmic model of the form $h = a + b \ln t$ that represents the data. Estimate the height when the

Age, t	1	3	5	9	11	13
Height, <i>h</i>	3.5	11	15.5	22	24	24.75